

## Amending ECE/TRANS/WP.29/GRB/2011/11

### I. Proposal

Annex 6

Paragraph 3.5., amend to read:

"3.5. Duration and speed.

When the deceleration method is selected, the following requirements apply:

- (a) **The deceleration  $j$  shall be determined in exact  $d\omega/dt$  or approximate  $\Delta\omega/\Delta t$  form, where  $\omega$  is angular velocity,  $t$  – time**
- (b) For duration  $\Delta t$ , the time increments shall not exceed 0.5 s;
- (c) Any variation of the test drum speed shall not exceed 1 km/h within one time increment."

Paragraph 4.6.2., amend to read:

"4.6.2. Deceleration method

The deceleration method follows the procedure below:

- (a) Remove the tyre from the test surface;
- (b) Record the deceleration of the test drum  $j_{D0}$  and that of the unloaded tyre  $j_{T0}$  **in exact or approximate form in accordance with paragraph 3.5."**

Paragraph 5.1.5., amend to read:

"5.1.5. Deceleration method

Calculate the parasitic losses  $F_{pl}$ , in newton.

$$F_{pl} = \frac{I_D}{R} \left( \frac{\Delta\omega_{D0}}{\Delta t_0} \right) + \frac{I_T}{R_r} \left( \frac{\Delta\omega_{T0}}{\Delta t_0} \right)$$

Where:

- $I_D$  is the test drum inertia in rotation, in kilogram meter squared,
- $R$  is the test drum surface radius, in meter,
- $\omega_{D0}$  is the test drum angular speed, without tyre, in radians per second,
- $\Delta t_0$  is the time increment chosen for the measurement of the parasitic losses without tyre, in second,
- $I_T$  is the spindle, tyre and wheel inertia in rotation, in kilogram meter squared,
- $R$  is the tyre rolling radius, in metre,
- $\omega_{T0}$  is the tyre angular speed, unloaded tyre, in radian per second.

Or

$$F_{pl} = \frac{I_D}{R} j_{D0} + \frac{I_T}{R_r} j_{T0}$$

where:

**ID** is the test drum inertia in rotation, in kilogram meter squared;

**R** is the test drum surface radius, in meter;

**j<sub>D0</sub>** is the deceleration of the test drum, without tyre, in radians per second squared;

**IT** is the spindle, tyre and wheel inertia in rotation, in kilogram meter squared;

**R<sub>r</sub>** is the tyre rolling radius, in metre;

**j<sub>T0</sub>** is the deceleration of unloaded tyre, in radians per second squared."

Paragraph 5.2.5., amend to read:

"5.2.5. Deceleration method

The rolling resistance  $F_r$ , in newton, is calculated using the equation:

$$F_r = \frac{I_D}{R} \left( \frac{\Delta\omega_v}{\Delta t_v} \right) + \frac{RI_T}{R_r^2} \left( \frac{\Delta\omega_v}{\Delta t_v} \right) - F_{pl}$$

Where:

**ID** is the test drum inertia in rotation, in kilogram metre squared,

**R** is the test drum surface radius, in meter,

**F<sub>pl</sub>** represents the parasitic losses as calculated in paragraph 5.1.5.,

**Δt<sub>v</sub>** is the time increment chosen for measurement, in second,

**Δω<sub>v</sub>** is the test drum angular speed increment, without tyre, in radian per second,

**I<sub>T</sub>** is the spindle, tyre and wheel inertia in rotation, in kilogram metre squared,

**R<sub>r</sub>** is the tyre rolling radius, in metre,

**F<sub>r</sub>** is the rolling resistance, in newton.

Or

$$Fr = \frac{I_D}{R} j_v + \frac{RI_T}{R_r^2} j_v - F_{pl}$$

where:

**Where:**

- ID** is the test drum inertia in rotation, in kilogram metre squared,
- R** is the test drum surface radius, in meter,
- F<sub>pl</sub>** represents the parasitic losses as calculated in paragraph 5.1.5.,
- jV** is the deceleration of the test drum, in radians per second squared,
- I<sub>T</sub>** is the spindle, tyre and wheel inertia in rotation, in kilogram metre squared,
- R<sub>r</sub>** is the tyre rolling radius, in metre,
- F<sub>r</sub>** is the rolling resistance, in newton."

Annex 6, Appendix 1

*Paragraph 4*, amend to read:

"4. Control accuracy

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(d) time: +/- ~~0.02 s~~ **0.5 ms**

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